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COS 480/580 Fall 2013 Quiz 1 30 + 10 \star pts.; 40 minutes;4 questions; 4 pages. 2013-09-19 11:00 a.m.
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Name: $\qquad$

1. (1 pt.)

- Read all material carefully.
- You may refer to your books, papers, and notes during this test.
- No computer or network access of any kind is allowed (or needed).
- Write, and draw, carefully. Ambiguous or cryptic answers receive zero credit.
- Use the conventions used in class and the textbook for all material.
- COS 480 students should answer non- $\star$ questions; $\star$ questions are for extra credit.
- COS 580 students should answer all questions, including $\star$ questions.

Write your name in the space provided above.
2. (14 pts.) Recall, from class exercises, the database composed of relations Students (id, name, year), Courses(id, title, ta), and Enrolls(student, course, credits), with the semantics described there.

Provide a SQL query for the set of all tuples $(t, s, c)$ such that $c>0$ is the total number of credits for which the student with ID $s$ is enrolled and $t$ is the ID of a person who is a TA for all classes in which $s$ is enrolled. If no such TA exists for a student, then $t$ should be 0 in the tuple for that student. You may use views to present your query.
Briefly explain why your query is correct.
[additional space for answering the earlier question]
3. (15 pts.) Either (a) provide, with explanation, a relational algebra query that is equivalent to the query of Question 2 using only the operators selection, projection, cross product, union, difference, and renaming, along with a small (constant) number of constant database relations of your choice; or (b) prove that no such query exists. You may use the linear notation for algebra.
4. $\star(10 \mathrm{pts}$.$) Let P, S, C, U, I, D denote the algebraic operators projection, selection,$ cross product, union, intersection, and difference. Combinations of the letters (e.g., PSC) denote the algebraic languages with only those operators. Prove or disprove each:
(a) $\mathrm{PSC} \equiv \mathrm{PSCU}$
(b) PSCI $\sqsubseteq \mathrm{PSCD}$

