## Name:

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1. (1 pt.)

- Read all material carefully.
- If in doubt whether something is allowed, ask, don't assume.
- You may refer to your books, papers, and notes during this test.
- E-books may be used subject to the restrictions noted in class.
- No computer or network access of any kind is allowed (or needed).
- Write, and draw, carefully. Ambiguous or cryptic answers receive zero credit.
- Use class and textbook conventions for notation, algorithmic options, etc.

Write your name in the space provided above.
2. ( 5 pts .) Trace the execution of the Bottom-Up-Cut-Rod algorithm for $n=10$ and the following pricing scheme. After each iteration of the outermost loop of the algorithm, depict the state of the array $r$. Indicate the optimal total price and corresponding locations of cuts.

| length $i:$ | 0 | 1 | 2 | 3 | 4 | 5 | 6 | 7 | 8 | 9 | 10 |
| :--- | :--- | :--- | :--- | :--- | :--- | :--- | ---: | ---: | ---: | ---: | ---: |
| price $p_{i}:$ | 0 | 2 | 3 | 7 | 8 | 9 | 14 | 15 | 16 | 17 | 20 |

3. (4 pts.) Provide pseudocode for linear search. The input is an array $A[1,2, \ldots, n]$ of integers and another integer, $v$, which is the searched value. The output is nil if there is no array element equal to $v$; otherwise, it is the smallest index $i$ such that $A[i]=v$.
4. (5 pts.) Sketch the proof of correctness of the pseudocode in Question 3 using appropriate loop invariants.
